

Essential knowledge

- Enlarge by a positive or fractional scale factor
- Identify similar shapes
- Work out missing sides and angles in similar shapes
- Use parallel lines to find missing angles
- Similarity and congruence

Key Vocabulary

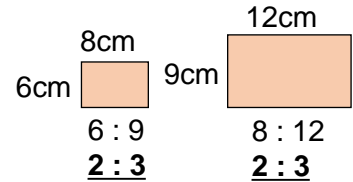
- Enlarge:** make a shape bigger or smaller by a multiplier / scale factor
- Scale Factor (SF):** the multiplier of enlargement
- Centre of enlargement:** the point the shape is enlarged from
- Similar:** when one shape can become another with a reflection, rotation, enlargement or translation.
- Congruent:** the same size and shape
- Corresponding:** items that appear in the same place in similar situations
- Parallel:** straight lines that never meet (equal gradients)

Prior learning links

- Angles in parallel lines & polygons (Y8)
- Constructions & congruency (Y9)
- Enlargement & similarity (Y9)

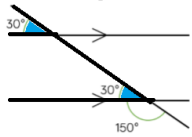
Identify similar shapes

Scale Factor (SF): Both sides on the bigger shape are 1.5 times bigger. Sides are in the same ratio.



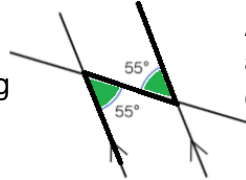
Angles in parallel lines

Corresponding angles



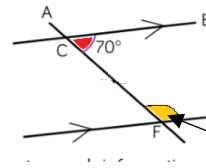
Corresponding angles are equal

Alternate angles



Alternate angles are equal

Co-interior angles

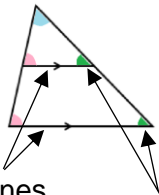


Because co-interior angles have a sum of 180° the highlighted angle is 110°

Similar triangles

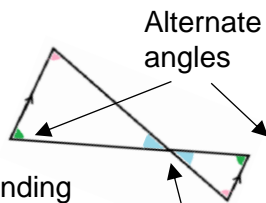
As all angles are the same, these are similar triangles

Share a vertex



Parallel lines – all angles will be the same in both triangles.

Corresponding angles are equal

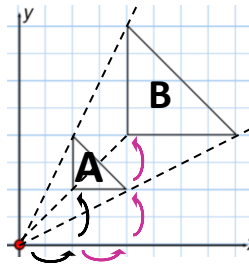


Alternate angles
Vertically opposite angles

Positive scale factors

Enlargement from a point

Enlarge shape **A** by a SF of 2 from (0,0)

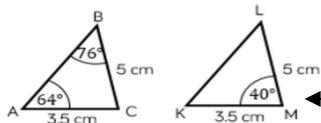


The shape is enlarged by a scale factor of 2

The distance from the point enlarges by a scale factor of 2

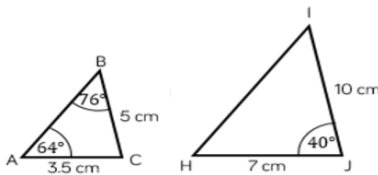
Congruence and similarity

Congruent shapes are **identical**



$$\hat{A}\hat{C}\hat{B} = \hat{K}\hat{M}\hat{L}$$

Because all the angles are the same and $AC=KM$ $BC=LM$, triangles ABC and KLM are **congruent**

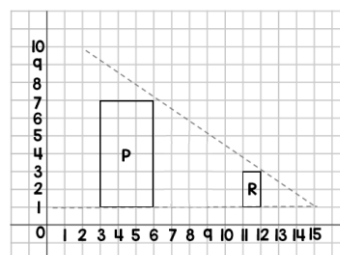


Because all angles are the same, but all sides are enlarged by 2, ABC and HIJ are **similar**

Fractional scale factors

Fractions less than 1 make a shape **smaller**

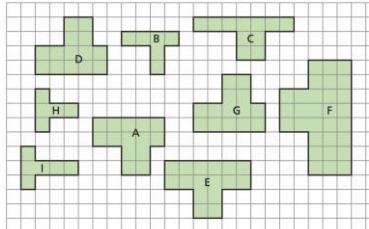
R is an enlargement of P by a scale factor $\frac{1}{3}$ from centre of enlargement (15,1)



Scale Factor: $\frac{1}{3}$

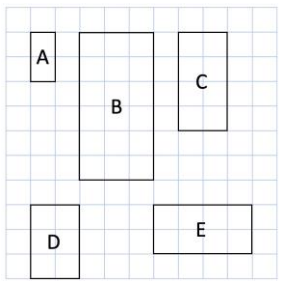
R is three times smaller than P

Prior learning links



Which octagons are congruent to A?

Which rectangles are similar to rectangle A and what is the scale factor of enlargement?

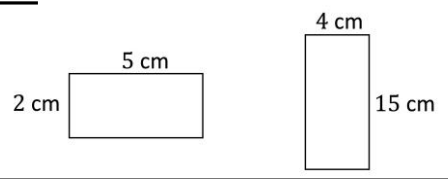


Key Vocabulary

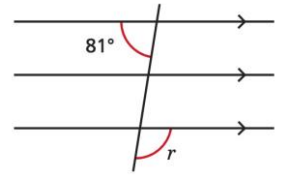
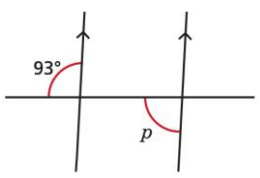
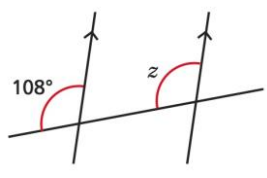
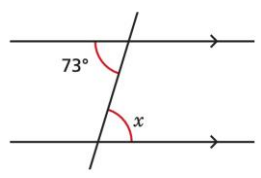
Use cover, look, write, check to write the definitions ...
 Enlarge:
 Scale Factor:
 Centre of enlargement:
 Similar:
 Congruent:
 Corresponding:
 Parallel:

Identify similar shapes

Explain why these rectangles **are not** similar.



Angles in parallel lines (work out the size of angles x, z, p and r , giving reasons for your answers)

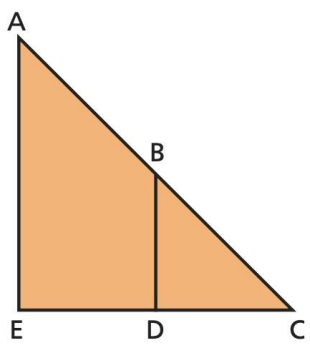


Similar triangles

In the diagram, AE and BD are parallel. Complete the statements to show the angles that are equal.

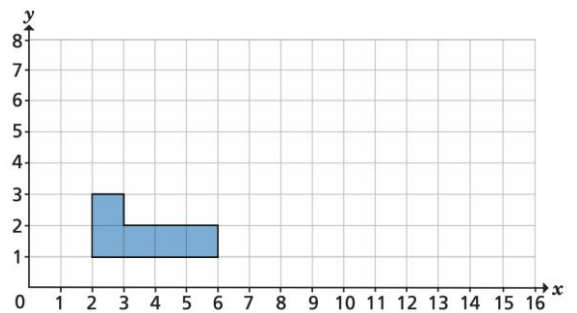
- $\angle AEC =$
- $\angle EAC =$
- $\angle ECA =$

Are the triangles similar?



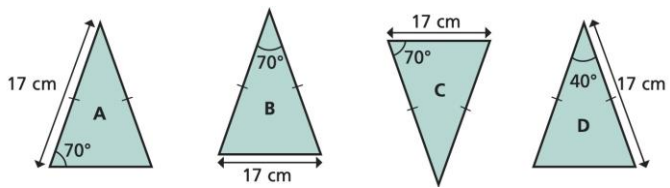
Positive scale factors

Enlarge the shape from the origin by a scale factor of 2



Congruence and similarity

1. Which triangle is congruent to triangle A?
2. Which triangle is similar to triangle A?



Fraction scale factors

Enlarge the shape by a scale factor of 0.5, using the centre of enlargement $(-5, 6)$

